# Bitwuzla: A New SMT Solver For Bit-Precise Reasoning

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## Bitwuzla

### A New SMT Solver

- ... for quantified and quantifier-free theories of
  - fixed-size bit-vectors
  - floating-point arithmetic
  - arrays
  - uninterpreted functions

and their combinations.

#### Pronounced as "bitvootslah"

Derived from an Austrian dialect expression for someone who tinkers with bits.

### **Successor of Boolector**

#### Boolector

- ► An award-winning SMT solver, but ...
- $\circ~$  Specialized, tight integration of  $\ensuremath{\textit{bit-vectors with arrays}}$
- Monolithic C code base, rigid architecture
- Cumbersome to maintain, adding new features difficult

#### Bitwuzla

- Started as an improved and extended fork of Boolector in 2018
   No official release, limitations of Boolector remained
- In 2022, code base discarded and rewritten from scratch
- Written in C++, inspired by techniques in Boolector
- Bitwuzla considered superior successor of Boolector

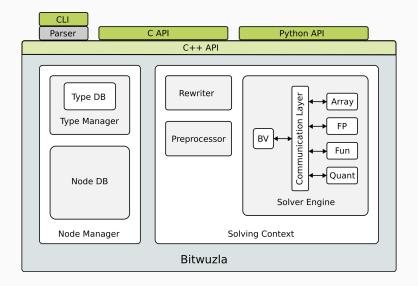
### Theories

- ► Focus: Theories primarily used in hardware verification
- Arrays, bit-vectors, floating-point arith., uninterpreted functions
- Quantifiers in combination with all supported theories

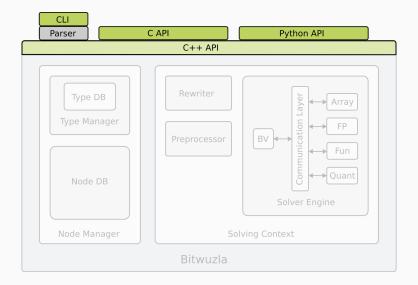
### **User-Facing**

- Full incremental support
- Seamless interaction between multiple solver instances
- Models, unsat cores/assumptions
- Comprehensive and easy-to-use APIs
   ► C++, C, Python, OCamI (WIP), Rust (planned)
- Input Formats: SMT-LIBv2, BTOR2, SMT-LIBv3 (planned)

# Architecture



# **Public Interface**



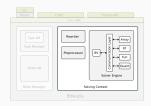
 Formulas and terms represented as reference-counted, immutable nodes in directed acyclic graph

### Node Manager, Type Manager

- Used to manage and construct nodes/types
- Employs hash-consing to maximize sharing of subgraphs
- Global (thread-local) node and type storage
  - Allows sharing between arbitrarily many solving contexts



### Solving Context



- Internal equivalent of solver instance
- Determines satisfiability of a set of asserted formulas
- Fully configurable via options
- Incremental interface for adding/removing assertions via push/pop
- Provides models for satisfiable queries
- Provides unsat cores for unsatisfiable queries
- Consists of three main components: Rewriter, Preprocessor, Solver Engine

## Rewriter

 Transforms terms via predefined set of rewrites rules into semantically equivalent normal forms



### Rewriting

- Local (independent from current set of assertions)
- Implements more than 230 rules
- Required and optional rewrite rules grouped into levels 0-2
  - ▶ 0 . . . required rewrite rules (e.g.:  $-x \rightsquigarrow -x + 1$ )
  - ▶ 1 ... immediate children only (e.g.:  $x + 0 \rightsquigarrow x$ )
  - ▶ 2 ... multiple levels of children (e.g.:  $a b = c \rightsquigarrow b + c = a$ )
- Implemented as preprocessing pass

### Preprocessing

- Invoked prior to solving
- Global (based on current set of assertions)
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- Applies preprocessing passes in predefined order until fixed-point
- Passes implement a set of satisfiability-preserving transformations
- Fully incremental
- Speculative preprocessing
- Most passes are optional

### Passes

**Rewriting**, Boolean And Flattening, **Term Substitution**, Boolean Skeleton Preprocessing, Embedded Constraints Substitution, Bit-vector Extract Elimination, **Arithmetic Normalization**, Lambda Elimination,

. . .

# Solver Engine

### Solver Engine

- Maintains a theory solver for each supported theory
- Quantifiers module implemented as theory solver
- Distributes relevant terms to theory solvers
- Processes lemmas generated by theory solvers
- Implements lazy SMT paradigm lemmas on demand
- Bit-vector abstraction of formula (instead of propositional)
  - Bit-vector solver at its core

### **Bit-Vector Abstraction**

- BV solver reasons about Boolean and bit-vector terms
- Non-BV theory atoms abstracted as Boolean constant
- BV terms with non-BV operator abstracted as bit-vector constant



# **Theory Solvers**

### **Bit-Vectors**

- ▶ **Bit-blasting**: BV terms  $\rightarrow$  AIG circuits (+rewriting [BB'06])  $\rightarrow$  CNF
- ► Ternary propagation-based local search [Niemetz'20]

### **Floating-Point Arithmetic**

▶ Word-blasting: FP terms → BV terms (via SymFPU [BSS'19])

#### Arrays

- ► Lemmas on Demand for Extensional Arrays [BB'09]
- Supports extensional nested arrays and constant arrays (ext. WIP)

### **Uninterpreted Functions**

▶ Dynamic Ackermannization [DdM'06]

### Quantifiers

► Model-based Quantifier Instantiation (MBQI) [GdM'09]

### Setup

- Comparison against
  - Boolector
  - Z3 (SMT-COMP'22 version)
  - cvc5 (SMT-COMP'22 version)
  - SC22 (Bitwuzla SMT-COMP'22 version)
- SMT-LIB 2022 benchmarks
  - o 146,235 non-incremental benchmarks in 23 supported logics
  - $\circ~25,443$  incremental benchmarks in 15 supported logics
- Limits: 1200 seconds, 8GB memory

#### Results

	Boolector	Z3	cvc5	SC22	Bitwuzla
Total (146,235)	64,106	141,778	$142,\!995$	$143,\!617$	$144,\!287$
Time (solved) [s]	417,643	$1,\!212,\!584$	1,000,466	563,832	580,435

- Solves largest number of benchmarks (+670 compared to SC22)
- Solves most benchmarks in 13 out of 23 logics
- On 140, 438 commonly solved:
  - slightly faster than SC22 (203,838s vs 208,310s)
  - 2.85 × faster than cvc5 (586, 105s)
  - **5.1**× faster than Z3 (1,049,534*s*)

SMT-COMP'23 SQ Track: 17 out of 30 gold medals in 6 divisions

#### Results

	Boolector	<b>Z</b> 3	cvc5	SC22	Bitwuzla
Total (699,612)	60,113	$657,\!512$	$673,\!642$	685,006	693,263
Time (solved) [s]	102,812	$3,\!359,\!645$	$1,\!516,\!672$	$157,\!083$	$172,\!534$

- Solves largest number of queries (+8257 compared to SC22)
- Solves most queries in 11 out of 15 logics

SMT-COMP'23 INC Track: 5 out of 6 gold medals in 6 divisions



### Bitwuzla

► A new state-of-the-art SMT solver for all things bits (and more)

### **Open Source**

- MIT license
- Source code: https://github.com/bitwuzla/bitwuzla

Website and Documentation: https://bitwuzla.github.io

# **Appendix: Non-Incremental Results**

	Boolector	Z3	cvc5	SC22	Bitwuzla
ABV (169)	-	89	32	0	1
<b>ABVFP</b> (30)	-	<b>25</b>	19	0	16
<b>ABVFPLRA</b> (75)	-	<b>47</b>	36	0	31
AUFBV (1,522)	-	403	486	597	983
<b>AUFBVFP</b> (57)	-	7	21	24	39
<b>BV</b> (6,045)	5,659	5,593	5,818	5,624	5,705
BVFP (205)	-	176	171	148	188
<b>BVFPLRA</b> (209)	-	189	107	140	199
<b>FP</b> (2,669)	-	2,128	2,353	2,513	2,481
<b>FPLRA</b> (87)	-	72	51	55	83
<b>QF_ABV</b> (15,084)	15,041	14,900	14,923	15,043	15,041
<b>QF_ABVFP</b> (18,129)	-	18,017	18,113	18,125	18,125
$QF_ABVFPLRA$ (74)	-	69	74	34	74
<b>QF_AUFBV</b> (67)	45	50	42	46	55
$QF_AUFBVFP$ (1)	-	1	1	1	1
$QF_BV$ (42,472)	41,958	40,876	41,574	42,039	42,049
<b>QF_BVFP</b> (17,244)	-	17,229	17,238	$17,\!242$	17,241
<b>QF_FP</b> (40,409)	-	40,303	40,357	40,368	40,358
$QF_FPLRA$ (57)	-	41	48	56	56
$QF_{-}UFBV$ (1,434)	1,403	1,404	1,387	1,413	1,411
$QF_{-}UFFP$ (2)	-	2	2	2	2
<b>UFBV</b> (192)	-	156	141	146	147
$\mathbf{UFBVFP}$ (2)	-	1	1	1	1
Total (146,235)	64,106	141,778	142,995	$143,\!617$	144,287
Time (solved) [s]	417,643	$1,\!212,\!584$	1,000,466	563,832	580,435

Logic	Boolector	Z3	cvc5	SC22	Bitwuzla
<b>ABVFPLRA</b> (2,269)	-	2,220	818	55	2,269
<b>BV</b> (38,856)	-	37,188	36,169	35,567	35,246
<b>BVFP</b> (458)	-	458	458	274	458
<b>BVFPLRA</b> (5,597)	-	5,507	2,964	3,144	4,797
QF_ABV (3,411)	3,238	2,866	2,746	3,242	2,939
QF_ABVFP (550,088)	-	515,714	534,629	550,034	550,041
<b>QF_ABVFPLRA</b> (1,876)	-	48	1,876	1,876	1,876
<b>QF_AUFBV</b> (967)	23	860	320	23	956
<b>QF_BV</b> (53,684)	52,218	51,826	51,683	51,581	52,305
QF_BVFP (3,465)	-	3,403	3,437	3,444	3,438
<b>QF_BVFPLRA</b> (32,736)	-	31,287	32,681	32,736	32,736
<b>QF_FP</b> (663)	-	663	663	663	663
$QF_FPLRA$ (48)	-	48	48	48	48
$QF_{-}UFBV$ (5,492)	4,634	5,422	5,148	2,317	$5,\!489$
$QF_UFFP$ (2)	-	2	2	2	2
Total (699,612)	60,113	657,512	$673,\!642$	685,006	693,263
Time (solved) [s]	102,812	3,359,645	$1,\!516,\!672$	157,083	172,534

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